

C H I P

**An Interpretive Subroutine for
Packed Floating Point Operands
For the ERA 1103 Computer**

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Programmers at Wright Field have felt the need for a compact floating point interpretive coding system. This interpretive system should include basic floating point arithmetic, elementary transcendental functions and floating decimal Flex-coded print or punch output.

A more convenient packed floating number definition is desirable. Consequently, the packed floating number definition of the 1103AF was chosen.

A floating point "Chip" number N must satisfy one of the following conditions:

- 1) $N = 0$
- 2) $2^{-129} \leq |N| < 2^{127}$

The floating point word structure has the following form:

1	8	27
S	C	M

where S - u_{35} - sign

C - u_{34} , --- U_{27} - characteristic

M - u_{26} , --- U_0 - mantissa

S and M denote the 1's complement representation of $x \cdot 2^{27}$, while C is the representation of $\lfloor y + 128 \rfloor$ scaled 27 or when $S = 1$, C is the 1's complement form of $\lfloor y + 128 \rfloor$ scaled 27.

For $N = 0$, $S = C = M =$ all 0's, or all 1's.

For $2^{-129} \leq N < 2^{127}$, N is represented in the form $x \cdot 2^y$, where $\frac{1}{2} \leq x < 1$ and $-128 \leq y \leq 127$. Then, $S = 0$, $M = x$ (scaled 27), and $C = \lfloor y + 128 \rfloor$ (scaled 27).

For $-2^{127} < N \leq -2^{-129}$, N is represented by the one's complement of $|N|$.

00 Repeat $1 \mid _ n \mid _ w _ _$
 01 $R + u' \longrightarrow R, A, Q$
 02 $R - u' \longrightarrow R, A, Q$
 03 $R \cdot u' \longrightarrow R, A, Q$
 04 $R \div u' \longrightarrow R, A, Q$
 05 $R + R \cdot u' \longrightarrow R, A, Q$
 06 $u' + R \cdot u' \longrightarrow R, A, Q$
 07 $(R + u') \cdot R \longrightarrow R, A, Q$
 10 Repeat $1 \mid _ n \mid _ w _ _$
 11 $u' + v' \longrightarrow R, A, Q$
 12 $u' - v' \longrightarrow R, A, Q$
 13 $u' \cdot v' \longrightarrow R, A, Q$
 14 $u' + v' \longrightarrow R, A, Q$
 15 $R + u' \cdot v' \longrightarrow R, A, Q$
 16 $u' + R \cdot v' \longrightarrow R, A, Q$
 17 $(u' + v') \cdot R \longrightarrow R, A, Q$
 20 Repeat $1 \mid _ n \mid _ w _ _$
 21 $R + u' \rightarrow v', R, A.$
 22 $R - u' \rightarrow v', R, A.$
 23 $R \cdot u' \rightarrow v', R, A.$
 24 $R \div u' \rightarrow v', R, A.$
 25 $R + R u' \rightarrow v', R, A.$
 26 $u' + R \cdot u' \rightarrow v', R, A.$
 27 $(R + u') \cdot R \rightarrow v', R, A.$

30 Repeat $1 \mid _ n \mid _ w _ _$
 31 $u' + v' \longrightarrow v', R, A.$
 32 $u' - v' \longrightarrow v', R, A.$
 33 $u' \cdot v' \longrightarrow v', R, A.$
 34 $u' \div v' \longrightarrow v', R, A.$
 35 $R + u' \cdot v' \rightarrow v', R, A.$
 36 $u' + R \cdot v' \rightarrow v', R, A.$
 37 $(u' + v') \cdot R \rightarrow v', R, A.$
 40 $*\cos u' \longrightarrow v', R, A.$
 41 $*\sin u' \longrightarrow v', R, A.$
 42 $\sqrt{u'} \longrightarrow v', R, A.$
 43 $e^{u'} \longrightarrow v', R, A.$
 44 $\ln u' \longrightarrow v', R, A.$
 45 $*\tan^{-1} u' \rightarrow v', R, A.$
 46 Print u' (car ret if $v' = 0$)
 47 Punch u' (car ret if $v' = 0$)

*Radians

The CHIP instructions are in the following form:

$$\underline{14} \mid \underline{OP} \mid \underline{\quad} \mid \underline{u'} \mid \underline{\quad} \mid \underline{v'} \mid \underline{\quad}$$

in which OP is a two-octal-digit pseudo-code and u' and v' are four-octal-digit address references. 14 occupies u₃₅, . . . u₃₀; OP occupies u₂₉, . . . u₂₄; u' occupies u₂₃, . . . u₁₂; and v' occupies u₁₁, . . . u₀. Because of the four-octal-digit limit on address references, operands must be located in HSS (High-speed storage).

HSS address 00005 is designated as R. After every interpretive instruction the normalized, rounded, packed result is left in R and the double extension of R is left in A.

The repeat order ,00, functions in a manner analogous to regular 1103 operation. It is coded in the form: $\underline{14} \mid \underline{00} \mid \underline{j} \mid \underline{n} \mid \underline{w}$, j occupying U₂₃, U₂₂, U₂₁. W denotes the address from which the next instruction will be taken after the termination of the repeat. Repeat orders, 10, 20, 30, operate in exactly the same way as above.

It should be noted that addresses 00003 thru 00016 are used as temporary storage. Using 00005 as a u' or v' address will yield the correct result except in the following cases:

14	06	0005	- - - -	gives	2R ²
14	16	0005	v'	"	2Rv'
14	26	0005	v'	"	2R ²
14	36	0005	v'	"	2Rv'

The alarm exit of "Chip" is at 00002. The following "Chip" alarm entry has been added to the alarm print routine (CV-3) which places the packed operands

of the current instruction in A_1 and A_r :

75750	37	00224	00224
1	31	00015	00044
2	27	20000	00016
3	16	00000	75700
4	45	00000	75701

For those operations involving only one operand, the contents of u' will be placed in A_r when an alarm occurs. If an alarm occurs during a repeated instruction at address y , the address printed out will be $(W-1)$ which may or may not be y .

An alarm will occur if the result of an interpretive operation exceeds the limits of the "Chip" number definition. This means that a result too small in absolute magnitude will also give an alarm. By changing address 00213 from the 46 00002 00216 to 46 00214 00216 all results such that $0 < |\text{Result}| < 2^{-129}$ will be replaced by zero without an alarm.

Furthermore, an alarm occurs when a division by zero or by an unnormalized number is attempted; when the square root of a negative number is attempted; if the absolute value of the argument in the sine-cosine routine exceeds 2^{18} , if the argument in $e^{u'}$ is less than -2^{18} or greater than $\ln 2^{127}$; or if in the logarithm routine, the argument is equal to or less than zero.

CODE	FUNCTION	LIMITS	TIME	INTERVAL TESTED	ERROR	METHOD
40, 41	* Cosine, Sine	$ u' < 2^{18}$	7.8ms	0(.05) 20	$ E \text{ max.} < 10^{-7}$	Rand Poly - Sheet 16
42	Square Root	$0 \leq u' < 2^{127}$	7.5ms	0(100) 12,500	$ Er < 2^{-27}$	Newton
43	Exponential	$-2^{18} < u' < \ln 2^{127}$	14.9ms	-2.5 (.02) 2.5 -77(1) 77	$ Er < 2^{-27}$ $ Er < 2^{-27}$	Power Series
44	Natural Log	$0 < u' < 2^{127}$	7.1ms	.02(.02) 5.0	$ E \text{ max} < 10^{-7}$	Rand Poly - Sheet 56
45	* Arc Tangent	$ u' < 2^{127}$	8.0ms	-20(.1) 20	$ E \text{ max} < 10^{-7}$	Rand Poly - Sheet 13

* Radians

Where E max is maximum error
Er is maximum relative error

Average Times for Other Orders

X 1	Addition	3.2 ms.
X 2	Subtraction	3.3 ms.
X 3	Multiplication	3.1 ms.
X 4	Division	3.6 ms.
X 5		5.1 ms.
X 6	Multiple Orders	5.1 ms.
X 7		5.1 ms.
4 6	Print	2 ^{sec} /word
4 7	Punch	.27 ^{sec} /word

Printed or Punched Output - Use of the print (46) or punch (47) orders causes the packed floating point number at address u' to be printed or punched in floating decimal form. The format for such a number contains fourteen characters in the form:

$\overline{sp}$	X	.	X	X	X	X	X	X	X	$\overline{sp}$	Y	Y	SP
1	2	3	4	5	6	7	8	9	10	11	12	13	14

Characters 1 thru 10 print out the decimal mantissa and characters 11 thru 13 print out the power of ten by which the mantissa is to be multiplied. Every such number is followed by a space.

There is also the option available to the programmer for a carriage return before printing or punching. This is accomplished by putting zero's in the v' portion of the print or punch order. Used with a repeat order which has $j=3$, it is possible to print or punch several numbers in consecutive storage addresses on one line using two lines of coding.

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B    14 00 3 005    B+2
B+1  14 47 0 700    0000
B+2  continuance of program

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Using these orders, a programmer has at his disposal a wide variety of possible formats for output.

It should be noted that "Chip" is not a standard subroutine. The entries, temporary storage, constant pool, basic arithmetic, and function routines occupy in that order the first 700₈ HES addresses.

While the choice of pseudo-codes available in the interpretive repertoire is perhaps not as complete as some might desire, it is felt that considerable programming flexibility is achieved while compactness is retained.

00000	45 00000(30000)	Normal Exit
00001	45 00000 00100	Entry
00002	45 00000 75750	Alarm Exit
00003	00 00000 00000	Mantissa of U Operand
00004	00 00000 00000	<u>TEMPORARY STORAGE</u> Characteristic of U Operand
00005	00 00000 00000	Chip Accumulator "R," also Mantissa of V Operand
00006	00 00000 00000	Characteristic of V Operand
00007	00 00000 00000	U ¹ Address Stored in U-Portion
00010	00 00000 00000	V ¹ Address Stored in U & V-Portions
00011	00 00000 00000	Repeat Counter
00012	00 00000 00000	j Counter
00013	00 00000 00000	Temporary Storage for R
00014	00 00000 00000	Current Instruction
00015	00 00000 00000	Packed U-Operand
00016	00 00000 00000	Packed V-Operand
00017	00 04000 00000	.5 Scaled 27
00020	20 14000 00000	Chip 1
00021	02 00000 00000	1 Scaled 31
00022	13 05620 57737	ln 2 Scaled 34
00023	54 00005 24110	Scaling Constant
00024	00 00000 00030	24 ₁₀
00025	14 44176 65211	π Scaled 32
00026	06 22077 32504	$\pi/2$ Scaled 32
00027	00 00000 00100	64 ₁₀

00030	00 00000(30000)	Scale Factor Storage	
00031	00 00000 00200	128 ₁₀	
00032	00 00000 00223	147 ₁₀	
00033	40 07777 77777	Mantissa Mask	
00034	37 70000 00000	Characteristic Mask	
00035	00 00000 00777	Three-Octal-Digit Extractor	
00036	00 00000 00206	134 ₁₀	
00037	00 00000 00045	37 ₁₀	
00040	00 00000 00000	Zero	<u>CONSTANT POOL</u>
00041	00 00000 00002	2 and "Color Shift"	
00042	61 00000 00045	Print and "Car. Return"	
00043	00 00000 00003	3	
00044	00 00000 00004	4	
00045	00 00000 00037	Flex Code 0	
00046	00 00000 00052	Flex Code 1	
00047	00 00000 00074	Flex Code 2	
00050	00 00000 00070	Flex Code 3	
00051	00 00000 00064	Flex Code 4	
00052	00 00000 00062	Flex Code 5	
00053	00 00000 00066	Flex Code 6	
00054	00 00000 00072	Flex Code 7	
00055	00 00000 00060	Flex Code 8	
00056	00 00000 00033	Flex Code 9	
00057	00 00000 00013	11 ₁₀	

00060	00 00000 00012	10_{10}
00061	00 00000 00056	"_"
00062	31 10375 52421	$\pi/4$ Scaled 35; $\pi/2$ Scaled 34
00063	31 46314 63146	0.1_{10} Scaled 38
00064	00 00000 00077	Six-Bit Extractor
00065	21 67643 24177	Degrees to Radians Scaled 40
00066	20 00000 00000	.5 Scaled 35
00067	00 00000 00007	Octal Digit Extractor
00070	37 77777 77777	$2^{35}-1$
00071	00 77777 00000	U Extractor
00072	00 00000 77777	V Extractor
00073	00 00001 00000	U Advance
00074	00 00000 00001	V Advance
00075	00 00001 00001	U and V Advance
00076	00 07777 07777	Four-Octal Digit U and V Extractors
00077	00 00000 00110	7^2_{10}

00100	11 00040 00011	Set Repeat Ctr. to Zero
		<u>EXPANSION</u>
00101	31 00000 00000	
00102	34 00074 00017	
00103	15 20000 00104	
00104	(11 (30000) 10000)	Transmit Current Instruction to Q
00105	11 10000 00014	Store Current Instruction in 00014
00106	51 00076 00010	Extract V^1
00107	31 20000 00017	

00110	15 20000 00010	$v^1 \cdot 2^{15} + v^1$ Stored in 00010
00111	55 10000 00003	
00112	51 00076 00007	$u^1 \cdot 2^{15}$ Stored in U-Portion of 00007
00113	55 00014 10006	Shift Current Instruction Six Places in Q
00114	16 00010 00225	Set up: Store Result at v^1
00115	15 00117 00147	Set up: R as U Operand
00116	15 00007 00157	Set up: u^1 as V Operand
00117	11 00005 00013	Store Previous Result in 00013
00120	44 00135 00121	Test PC_5 PC = Pseudo-Code
00121	44 00123 00122	Test PC_4
00122	16 00104 00225	Set up: Store Result at Q
00123	44 00124 00126	Test PC_3
00124	15 00007 00147	Set up: u^1 as U Operand <u>DECODING</u>
00125	15 00010 00157	Set up: v^1 as V Operand
00126	44 00132 00127	Test PC_2
00127	44 00131 00130	Test PC_1
00130	44 00261 00237	X1 X0 Entries for X = 0, 1, 2, 3.
00131	44 00147 00256	X3 X2
00132	44 00134 00133	Test PC_1
00133	44 00307 00246	X5 X4 Entries for X = 0, 1, 2, 3.
00134	44 00317 00313	X7 X6
00135	37 00167 00157	Unpack for Functions
00136	11 00016 20000	Contents of u^1 into A
00137	55 00014 10007	Shift Current Instruction Seven Places in Q

00140	44 00002 00141	Alarm for Undefined Pseudo-Codes
00141	44 00002 00142	Alarm for Undefined Pseudo-Codes
00142	44 00145 00143	Test PC ₂
00143	44 00144 00343	Sine-Cosine Entry
00144	44 00422 00323	Entry for Exponential or Square Root
00145	44 00557 00146	Print/Punch Entry
00146	44 00505 00453	Entry for Arc Tan or Logarithm

00147	11(30000)00015	Store U Operand	<u>UNPACK</u>
00150	11 00015 10000		
00151	51 00033 00003	Store U Mantissa	
00152	51 00034 00004	Store U Characteristic	
00153	44 00154 00155		
00154	27 00003 00034		
00155	27 00004 00034		
00156	55 00004 00011		
00157	11(30000)00016	Store V Operand	
00160	11 00016 10000		
00161	51 00035 00005	Store V Mantissa	
00162	51 00034 00006	Store V Characteristic	
00163	44 00164 00165		
00164	27 00005 00034		
00165	27 00006 00034		
00166	55 00006 00011		
00167	37 00167(00170)		

00170	21 00006 00004	<u>MULTIPLICATION</u>
00171	36 00032 00006	
00172	71 00003 00005	
00173	47 00174 00220	<u>NORMALIZE. ROUND. PACK</u>
00174	11 00031 00005	
00175	46 00176 00177	
00176	13 00031 00005	
00177	74 20000 00030	
00200	11 20000 10000	
00201	21 10000 00005	
00202	43 10000 00205	
00203	21 00006 00074	
00204	55 00005 10033	
00205	54 10000 00100	
00206	11 00030 20000	
00207	42 00037 00211	
00210	36 00077 20000	
00211	35 00006 20000	
00212	54 20000 00033	
00213	46 00002 00216	NOTE: (00002) is Alarm Exit for $0 < \text{Result} < 2^{-129}$ (00214) Replaces By Zero With No Alarm.
00214	11 00040 20000	
00215	45 00000 00220	
00216	42 00070 00221	
00217	45 00000 00002	Alarm, Characteristic Too Large

00220	11 20000 10000		
00221	52 00033 00005		
00222	44 00223 00224		
00223	27 00005 00034		
00224	37 00224 (00225)		
00225	11 20000 (30000)	Store Result	<u>TERMINATION</u>
00226	41 00011 00231	Repeat Instruction?	
00227	11 00005 20000	Result to A	
00230	45 00000 00000	Jump to Exit	
00231	55 00012 10001	j to Q	<u>REPEAT MODIFICATION</u>
00232	44 00233 00234		
00233	21 00007 00075	Advance u ¹	
00234	44 00235 00236		
00235	21 00010 00075	Advance v ¹	
00236	45 00000 00113		
00237	11 10000 00012	Store j	<u>SET UP REPEAT</u>
00240	16 00010 00000	w to V-Portion of F ₁	
00241	21 00104 00073		
00242	55 00014 10030		
00243	51 00035 00011	Store n in 00011	
00244	41 00011 00104	Store n - 1 in 00011; Jump to Next Instruction	
00245	45 00000 00227	Exit if n = 0	
00246	37 00107 00147	Unpack	
00247	12 00005 20000		<u>DIVIDE</u>

00250	42	00017	00002	Alarm if Divisor Unnormalized or Zero	
00251	23	00004	00006		
00252	35	00036	00006		
00253	54	00003	20035		
00254	73	00005	20000		
00255	45	00000	00173	Jump to Pack	
00256	37	00167	00147	Unpack	
					<u>SUBTRACT</u>
00257	13	00005	00005	Negate V Operand	
00260	45	00000	00262	Jump to Add	
00261	37	00167	00147	Unpack	
					<u>ADD</u>
00262	11	00004	20000		
00263	36	00006	20000		
00264	46	00275	0 265		
00265	42	00037	0 271		
00266	11	00004	00006		
00267	54	00003	20010		
00270	45	00000	00306		
00271	16	20000	00272		
00272	54	00003	(30000)		
00273	35	00005	20000		
00274	45	00000	00305		
00275	13	20000	20000		
00276	42	00037	00301		
00277	54	00005	20010		

00300	45	00000	00306		
00301	16	20000	00302		
00302	54	00005 (30000)			
00303	35	00003	20000		
00304	11	00004	00006		
00305	54	20000	20010		
00306	45	00000	00173	Jump to Pack	
00307	37	00224	00147	U·V	
00310	15	00312	00147	Set up: Previous Result as U	$R + u^1 \cdot y^1$ or $R + R \cdot u^1$
00311	15	00164	00157	Set up: R as V	
00312	45	00013	00261	Jump to Add	
00313	15	00312	00147	Set up: Previous Result as U	$u^1 +$ $u^1 +$
00314	37	00224	00147	U·V	
00315	15	00007	00147	Set up: u^1 as U	
00316	45	00000	00311	Jump to (U + R)	
00317	37	00224	00261	U + V	$(u^1 + v^1) \cdot R$ $(R + u^1) \cdot R$
00320	15	00164	00147	Set up: R as U	
00321	15	00312	00157	Set up: Previous Result as V	
00322	45	00000	00147	Jump to Multiply	
00323	46	00002	00324	Alarm if Argument Negative	$\sqrt{u^1}$
00324	47	00325	00173	If Zero, Jump to Exit	
00325	31	00006	00107		
00326	46	00327	00330		
00327	55	00005	00001		

00330	35 00027 00006	
00331	11 00066 10000	
00332	11 10000 00003	
00333	31 00005 00051	
00334	73 00003 20000	
00335	32 00003 00107	
00336	11 20000 10000	
00337	23 20000 00003	
00340	47 00332 00341	
00341	31 10000 00001	
00342	45 00000 00173	Jump to Pack
00343	11 00040 00003	Store Zero in 00003 for Sine
00344	44 00346 00345	Test PC_0 <u>SINE-COSI</u>
00345	11 00026 00003	Store $\pi/2$ in 00003 for Cosine
00346	23 00006 00032	
00347	46 00350 00002	Alarm if $u^1 \geq 2^{18} = 262,144$.
00350	35 00055 20000	
00351	46 00352 00353	
00352	11 00040 00005	Replace u^1 By Zero
00353	36 00024 10000	
00354	35 00023 00355	
00355	(00 00000 00000)	u^1 Into A Scaled 32
00356	44 00357 00360	
00357	11 20000 20000	Zero Into A_L if U^1 Scaled "Down"

00360	35 00003 20000	
00361	73 00062 10000	$0 \leq A_R < 2\pi$ Scaled 32
00362	11 00066 00003	Store Sign in 00003
00363	42 00026 00367	
00364	36 00025 20000	
00365	55 00003 00001	Shift Sign
00366	45 00420 00363	
00367	54 20000 00042	
00370	73 00026 00005	X Into 00005 Scaled 34
00371	71 10000 10000	
00372	54 20000 00046	
00373	11 20000 00006	x^2 Into 00006 Scaled 34
00374	11 00421 00004	C_9 Into P_1
00375	15 00366 00401	Set u Address of 00461
00376	11 00043 00013	Set Index
00377	71 00006 00004	$x^2 \cdot P_1$
00400	54 20000 00046	
00401	35 (30415) 00004	$P_1 + 1$
00402	23 00401 00073	
00403	41 00013 00377	
00404	71 00005 00004	$x \cdot P$
00405	54 20000 00046	
00406	11 20000 00005	Store result in 0000
00407	11 00003 10000	

00410	44 00411 00412	Examine Sign
00411	13 20000 00005	
00412	11 00031 00006	
00413	54 00005 20001	
00414	45 00000 00173	Jump to Pack
00415	31 10375 52202	C_1 Rand Coefficients Scaled 34
00416	65 52420 76452	C_3 Rand Coefficients Scaled 34
00417	01 21464 25731	C_5 Rand Coefficients Scaled 34
00420	77 73155 46346	C_7 Rand Coefficients Scaled 34
00421	00 00117 32757	C_9 Rand Coefficients Scaled 34

00422	23 00006 00032	
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EXPONENTIAL

00423	46 00424 00002	Alarm
00424	35 00055 20000	
00425	46 00426 00427	
00426	11 00040 00005	Zero to 00005
00427	36 00451 10000	
00430	35 00023 00431	
00431	(00 00000 00000)	u^1 Into A Scaled 34
00432	44 00433 00434	
00433	11 20000 20000	Zero to A_L if u^1 Scaled "Down"
00434	73 00022 00006	
00435	11 20000 00005	x Into 5
00436	11 00452 00003	11_{10} Into 00003 Scaled 31
00437	11 00021 00004	1 Into 00004 Scaled 31

00440	71 00005 00004	$x \cdot P_1$
00441	73 00003 20000	
00442	32 00066 00105	
00443	11 20000 00004	$P_1 + 1$ Into 00004 Scaled 31
00444	23 00003 00021	
00445	47 00440 00446	
00446	21 00006 00031	Characteristic Into 00006
00447	31 00004 00004	e^x Into A Scaled 35
00450	45 00000 00173	Go to Pack
00451	00 00000 00026	22_{10}
00452	26 00000 00000	11_{10} Scaled 31

00453	23 00006 00473	$P - 1$	<u>LOG</u> _e
00454	54 00005 20010	$2q$ Into A Scaled 34	
00455	36 00066 00005	$2q-1$ Into 00005	
00456	46 00002 00457	Alarm	
00457	11 00067 00003	Set Index Equal Seven	
00460	15 00472 00464	Set u Address of 00464	
00461	11 00504 00004	a_8 Into P_1	
00462	$\overline{71}$ 00005 00004	$x \cdot P_1$	
00463	54 20000 00046		
00464	35 30474 00004	$P_1 + 1$	
00465	(23 00464 00075)		
00466	41 00003 00462		
00467	71 00006 00022	$(p - 1) \cdot \ln 2$	

00470	35 00004 26000	$\ln u^1$ Into A Scaled 34	
00471	11 00473 00006		
00472	45 00503 00173	Go to Pack	
00473	00 00000 00201		
00474	00 00000 00000	a_0 Scaled 34	
00475	17 77776 10003	a_1 Scaled 34	
00476	70 00101 77550	a_2 Scaled 34	
00477	05 23606 17663	a_3 Scaled 34	
00500	74 11372 11627	a_4 Scaled 34	
00501	02 53533 01102	a_5 Scaled 34	
00502	76 36303 74363	a_6 Scaled 34	
00503	00 44750 60721	a_7 Scaled 34	
00504	77 71310 36772	a_8 Scaled 34	
00505	11 00040 00003	Zero Into 00003	
00506	23 00006 00031	Char. of $u^1 - 200_8$	<u>ARCTAN</u>
00507	42 00074 00516		
00510	33 00066 00024		
00511	73 00005 00005	Negative Reciprocal	
00512	13 00006 00006		
00513	11 00062 00003	$\pi/2$ Scaled 34 Into 00003	
00514	44 00516 00515		
00515	13 00062 00003	$-\pi/2$ Scaled 34 Into 00003	
00516	21 00006 00037		
00517	46 00520 00521		

00520	11 00040 00005	Replace u^1 by Zero
00521	35 00546 00522	
00522	(00 00000 00000)	u^1 or $-1/u^1$ Scaled 34 Into A
00523	11 20000 00005	x Into 00005 Scaled 34
00524	71 00005 10000	
00525	54 20000 00046	
00526	11 20000 00006	x^2 Into 00006 Scaled 34
00527	11 00545 00013	Set Index Equal Six
00530	11 00547 00004	C_{15} Into P_1
00531	15 00544 00534	Set U Address of 00534
00532	$\overline{71}$ 00006 00004	$x^2 \cdot P_1$
00533	54 20000 00046	
00534	(35 30556 00004)	$P_1 + 1$
00535	21 00534 00073	
00536	41 00013 00532	
00537	71 00005 00004	$x \cdot P_1$
00540	54 20000 00046	
00541	35 00003 00005	
00542	54 00005 20001	$\tan^{-1} u^1$ Into A Scaled 35
00543	11 00031 00006	
00544	45 00550 00173	Go to Pack
00545	00 00000 00006	
00546	54 00005 24052	
00547	77 73662 40305	C_{15} Scaled 34

00550	00 26305 45073	C ₁₃ Scaled 34
00551	77 06577 07416	C ₁₁ Scaled 34
00552	01 42567 67640	C ₉ Scaled 34
00553	75 61447 16451	C ₇ Scaled 34
00554	03 14201 22666	C ₅ Scaled 34
00555	72 52547 44072	C ₃ Scaled 34
00556	17 77777 51473	C ₁ Scaled 34

00557	11 00042 00676	Set Up Print	
00560	44 00561 00562	Print or Punch?	<u>PRINT/PUNCH</u>
00561	21 00676 00021	Set up Punch	
00562	11 00676 00565	Set up Print or Punch at 00565	
00563	16 00564 00565	Set up Print or Punch Q	
00564	11 00670 10000	"Shift Down" Into Q	
00565	(00 00000 00000)	Print/Punch Q	
00566	37 00566 (00567)		
00567	11 00010 20000	v ¹ Into A	
00570	47 00574 00572	If A Zero, Print/Punch Carriage Return	
00571	00 00000 00000	Not Used	
00572	11 00042 10000	"Carriage Return" Into Q	
00573	37 00566 00565	Print/Punch Car. Ret.	
00574	11 00016 20000	u ¹ Into A	
00575	11 00044 10000	"Space" Into Q	
00576	46 00577 00600		
00577	11 00061 10000	"_" Into Q	

00600	37 00566 00565	Print/Punch "Space" or "_"
00601	37 00601 (00602)	
00602	47 00605 00603	
00603	16 00667 00643	u^1 Equal Zero; Set up Spaces
00604	45 00000 00626	
00605	12 00016 00005	Magnitude of u^1 Into 00005
00606	15 00164 00147	Set up 00005 as U
00607	15 00613 00157	Set up 00671 as V
00610	11 00040 00677	Zero Into 00677
00611	<u>11</u> 00005 20000	N(Packed) Into A
00612	42 00020 00617	If $1 > N$, Go to 00617
00613	42 00671 00622	If $N < 10$, Go to 00622
00614	37 00224 00246	Divide by Ten
00615	21 00677 00074	Adjust Decimal Exponent
00616	45 00000 00611	
00617	37 00224 00147	Multiply by Ten
00620	23 00677 00074	Adjust Decimal Exponent
00621	45 00000 00611	
00622	37 00167 00147	Unpack Normalized N
00623	23 00004 00672	
00624	16 20000 00625	
00625	54 00003 (30000)	N Into A Scaled 36
00626	11 00040 00005	Set Index to Zero
00627	45 00000 00632	

00630	11 00673 00005	Set Index to Six
00631	71 00003 00674	F • 10₁₀ Into A
00632	11 20000 00003	Fraction Into 00003 Scaled 36
00633	55 00003 00043	Fraction Into 00003 Scaled 35
00634	34 20000 00044	
00635	35 00676 00636	
00636	(00 00000 00000)	Print/Punch Decimal Digit
00637	41 00005 00631	
00640	37 00640 (00641)	
00641	11 00675 10000	"." Into Q
00642	37 00566 00565	Print/Punch "."
00643	37 00643 (00644)	Optional Exit for N = 0
00644	37 00640 00630	Translate, Print/Punch Seven More Di
00645	11 00677 20000	Decimal Exponent Into A
00646	37 00601 00575	Print/Punch "Space" or "_"
00647	12 00677 20000	Magnitude of Exponent Into A
00650	47 00651 00663	
00651	73 00060 10000	Translate Exponent
00652	11 20000 00003	
00653	11 10000 20000	
00654	37 00640 00635	Print/Punch First Digit of Exponent
00655	11 00003 20000	
00656	37 00640 00635	Print/Punch Last Digit of Exponent
00657	11 00044 10000	"Space" Into Q

00660	37 00566 00565	Print/Punch Space
00661	41 00005 00660	
00662	45 00000 00226	Go to Termination
00663	11 00041 00005	Set Up Print/Punch Three Spaces
00664	45 00000 00657	
00665	11 00060 00005	Set Up Print/Punch Eleven Spaces
00666	45 00000 00657	
00667	00 00000 00665	
00670	00 00000 00057	Shift Down
00671	20 45000 00000	Chip 10.
00672	00 00000 00167	
00673	00 00000 00006	
00674	00 00000 00024	
00675	00 00000 00042	."
00676	(00 00000 00000)	Print or Punch Temporary Storage
00677	(00 00000 00000)	Decimal Exponent Temporary Storage
